## **ARMY GOODWILL PUBLIC SCHOOL RAJOURI**

## SPLIT UP SYLLABUS OF MATHEMATICS SESSION 2021-22 MATHEMATICS TEXT BOOK FOR CLASS IX

. S NO	MONTH AND ASSESSMENT	UNIT	DETAILED TOPIC	TENTATIVE NO. OF TEACHING PERIODS ALLOTTED	DEMO
1	APRIL	UNIT-I	CHAPTER 1: NUMBER SYSTEMS:		Repr
	UNIT-1 SYLLABUS CHAPTER 1,2 & 3		<ol> <li>Review of representation of natural numbers, integers, rational numbers on the number line. Representation of terminating / non-terminating recurring decimals on the number line through successive magnification. Rational numbers as recurring/ terminating decimals. Operations on real numbers.</li> <li>Examples of non-recurring/non-terminating decimals. Existence of non-rational numbers (irrational numbers) such as , and their representation on the number line. Explaining that every real number is represented by a unique point on the number line and conversely, viz. every point on the number line represents a unique real number.</li> <li>Definition of nth root of a real number.</li> <li>Rationalization (with precise meaning) of real numbers of the type and (and their combinations).</li> <li>Recall of laws of exponents with integral powers. Rational exponents with positive real bases (to be done by particular cases, allowing learner to arrive at the general laws.</li> </ol>	25	recui
2	MAY	UNIT-I	CHAPTER 2:  POLYNOMIALS:  Definition of a polynomial in one variable, with examples and counter examples. Coefficients of a polynomial, terms of a polynomial and zero polynomial. Degree of a polynomial. Constant, linear, quadratic and cubic polynomials.  Monomials, binomials, trinomials. Factors and multiples. Zeros of a polynomial. Motivate and State the Remainder Theorem with examples. Statement and proof of the Factor Theorem. Factorization of ax² + bx + c, a ≠ 0 where a, b and c are real numbers, and of cubic polynomials using the Factor Theorem. Recall of algebraic	20	

			expressions and identities.		
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	JUNE		SUMMER VACATIONS		
3.	JULY		CHAPTER 3:	10	
		UNIT-1	LINEAR EQUATIONS IN TWO VARIABLES:		
			Recall of linear equations in one variable.		
			Introduction to the equation in two variables.  Focus on linear equations of the type ax+by+c=0.		
			Explain that a linear equation in two variables has		
			infinitely many solutions and justify their being		
			written as ordered pairs of real numbers, plotting them and showing that they lie on a line. Graph of		
			linear equations in two variables. Examples,		
			problems from real life, including problems on Ratio and Proportion and with algebraic and		
			graphical solutions being done simultaneously.		
			REVISION		
4	AUGUST	TERM-I	CHAPTER 4:	10	
	HALF YEARLY	TERRIT I	COORDINATE GEOMETRY:		
	SYLLABUS CHAPTER				
	1,2,3,4,5,6 &		The Cartesian plane, coordinates of a point, names and terms associated with the coordinate plane,		
	7		notations, plotting points in the plane.		
5	AUGUST	TERM-I	CHAPTER 5:		
				10	
			INTRODUCTION TO EUCLID'S GEOMETRY:		
			Geometry in India and Euclid's geometry. Euclid's		
			method of formalizing observed phenomenon into rigorous Mathematics with definitions,		
			common/obvious notions, axioms/postulates and		
			theorems. The five postulates of Euclid. Equivalent versions of the fifth postulate. Showing the		
			relationship between axiom and theorem, for		
			example: (Axiom)		
			1. Given two distinct points, there exists one and		
			only one line through them. (Theorem)		
			2. (Prove) Two distinct lines cannot have more than one point in common.		
			·		
	ALICUICTIC	TERM	REVISION		
6	AUGUST & SEPTEMBER	TERM-I	CHAPTER 6:		
			LINES AND ANGLES:		
			1.If a ray stands on a line, then the sum of the two		
			adjacent angles so formed is 1800 and the	20	

2. (Prove) If two lines intersect, vertically opposite angles are equal.  3. Results on corresponding angles, alternate angles, interior angles when a transversal intersects two parallel lines.  4. Lines which are parallel to a given line are parallel.  5. (Prove) The sum of the angles of a triangle is 180°.  6. If a side of a triangle is produced, the exterior angle so formed is equal to the sum of the two interior opposite angles.  7 SEPTEMBER  TERM-I  CHAPTER 7:  TRIANGLES:  1. Two triangles are congruent if any two sides and the included angle of one triangle is equal to any two sides and the included angle of the other triangle (SAS Congruence).  2. (Prove) Two triangles are congruent if any two angles and the included side of one triangle is equal to any two angles and the included side of the other triangle (SAS Congruence).  3. Two triangles are congruent if the three sides of one triangle are equal to three sides of the other triangle (SSS Congruence).  4. Two right triangles are congruent if the hypotenuse and a side of one triangle are equal (respectively) to the hypotenuse and a side of the other triangle (RHS Congruence)  5. (Prove) The angles opposite to equal sides of a triangle are equal.  7. Triangle inequalities and relation between (angle and facing side inequalities in triangles.  REVISION  8 OCTOBER  SYLLABUS  FOR UNIT-II  CHAPTER 8:  QUADRILATERALS:  1. (Prove) The diagonal divides a parallelogram into		T		T	1	
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8 OCTOBER UNIT-II CHAPTER 8 : 20  QUADRILATERALS:						
SYLLABUS SYLLABUS				REVISION		
SYLLABUS SYLLABUS	8	OCTOBER	UNIT-II	CHAPTER 8:	20	
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				1.(Prove) The diagonal divides a parallelogram into		

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	CHAPTER 8 & 9		two congruent triangles.		
			2. In a parallelogram opposite sides are equal, and conversely.		
			3. In a parallelogram opposite angles are equal, and conversely.		
			4. A quadrilateral is a parallelogram if a pair of its opposite sides is parallel and equal.		
			5. In a parallelogram, the diagonals bisect each other and conversely.		
			6. In a triangle, the line segment joining the mid points of any two sides is parallel to the third side and in half of it and its converse.		
9	OCTOBER	UNIT-II	CHAPTER 9:		
			AREA OF PARALLELOGRAMA AND TRIANGLES:	15	
			1. (Prove) Parallelograms on the same base and between the same parallels have equal area.		
			2. Triangles on the same base (or equal bases) and between the same parallels are equal in area.		
			REVISION		
10	NOVEMBER	TERM-II	CHAPTER 10:	25	
10	FINAL YEAR	TERM-II	CHAPTER 10: CIRCLES:	25	
10	FINAL YEAR END SYLLABUS	TERM-II	CIRCLES:	25	
10	FINAL YEAR END	TERM-II	CIRCLES:  Through examples, arrive at definition of circle and related concepts-radius, circumference,	25	
10	FINAL YEAR END SYLLABUS CHAPTER 8,9	TERM-II	CIRCLES:  Through examples, arrive at definition of circle and related concepts-radius, circumference, diameter, chord, arc, secant, sector, segment,	25	
10	FINAL YEAR END SYLLABUS CHAPTER 8,9 10,11,12,13,1	TERM-II	CIRCLES:  Through examples, arrive at definition of circle and related concepts-radius, circumference,	25	
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10	FINAL YEAR END SYLLABUS CHAPTER 8,9 10,11,12,13,1	TERM-II	CIRCLES:  Through examples, arrive at definition of circle and related concepts-radius, circumference, diameter, chord, arc, secant, sector, segment, subtended angle. 1. (Prove) Equal chords of a circle subtend equal angles at the center and (motivate) its converse.  2. The perpendicular from the center of a circle to a chord bisects the chord and conversely, the line drawn through the center of a circle to bisect a chord is perpendicular to the chord.  3. There is one and only one circle passing through three given non-collinear points.	25	
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			<ul><li>7. If a line segment joining two points subtends equal angle at two other points lying on the same side of the line containing the segment, the four points lie on a circle.</li><li>8.The sum of either of the pair of the opposite</li></ul>		
			angles of a cyclic quadrilateral is 180° and its converse.		
11	NOVEMBER & DECEMBER	TERM-II	CHAPTER 11:	15	1.Cor
			CONSTRUCTIONS:		
			1. Construction of bisectors of line segments and angles of measure $60^{\circ}$ , $90^{\circ}$ , $45^{\circ}$ etc., equilateral triangles.		2. Co
			2. Construction of a triangle given its base, sum/difference of the other two sides and one base angle.		
			3. Construction of a triangle of given perimeter and base angles.		
12	DECEMBER	TERM-II	CHAPTER 12:	15	Area
			HERON'S FORMULAE:		
			Area of a triangle using Heron's formula (without proof) and its application in finding the area of a quadrilateral.		
13	DECEMBER & JANUARY	TERM-II	CHAPTER 13:	20	Surfa
	JANUANI		SURFACE AREA AND VOLUMES:		hemi
			SURFACE AREAS AND VOLUMES :Surface areas and volumes of cubes, cuboids, spheres (including hemispheres) and right circular cylinders/cones.		
14	JANUARY	TERM-II	CHAPTER 14:	20	Colle
			STATISTICS:		grou polyg
			Introduction to Statistics: Collection of data, presentation of data — tabular form, ungrouped / grouped, bar graphs, histograms (with varying base lengths), frequency polygons. Mean, median and mode of ungrouped data.		
15	FEBRUARY	TERM-II	CHAPTER 15:	15	Repe
			PROBABILITY:		prob
			History, Repeated experiments and observed frequency approach to probability. Focus is on empirical probability. (A large amount of time to be devoted to group and to individual activities to motivate the concept; the experiments to be drawn from real - life situations, and from		

	examples used in the chapter on statistics.	
	REVISION	
MARCH	FINAL EXAMS	